

## Course Review

# Chapter 7 - Applications of Trig Functions

## 7-1 Right Triangle Trigonometry

Angle of Elevation: measure upward with respect to the horizon

Angle of Depression: measure downward with respect to the horizon

Navigational Angle: measure with respect to NORTH; positive direction is clockwise

Surveying/Bearing Angle: the acute angle at which direction varies east/west from north/south

$$\sin(\theta) = \frac{\text{opposite}}{\text{hypotenuse}} \text{ or } \frac{y}{r} \qquad \cos(\theta) = \frac{\text{adjacent}}{\text{hypotenuse}} \text{ or } \frac{x}{r} \qquad \tan(\theta) = \frac{\text{opposite}}{\text{adjacent}} \text{ or } \frac{y}{x}$$

## 7-2 Law of Sines

$$\frac{\sin(A)}{a} = \frac{\sin(B)}{b} = \frac{\sin(C)}{c} \qquad \text{When to use: ASA, AAS, SSA}$$

Ambiguous Case of Sine Law: when given two side and a **non-included angle**.

Possible solutions: 1 (exactly one right-triangle), 2 (solution *and* 180° - solution), or none (too short).

## 7-3 Law of Cosines

$$c^2 = a^2 + b^2 - 2ab \cdot \cos(C) \qquad \text{When to use: SAS, SSS}$$

## 7-4 Area of a Triangle

$$K = \frac{1}{2} a \cdot b \cdot \sin(C) \qquad \text{When to use: SAS}$$

$$A = \sqrt{s \cdot (s-a) \cdot (s-b) \cdot (s-c)}; \text{ where } s = \frac{1}{2} (a+b+c) \qquad \text{When to use: SSS}$$

(Heron's Formula)